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NUMERICAL CALCULATIONS OF THE RESPONSE OF A SPINNING SPHEROIDAL PAYLOAD TO CONING MOTION

GENE R. COOPER



**MARCH 1988** 

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U.S. ARMY LABORATORY COMMAND

BALLISTIC RESEARCH LABORATORY
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A method for numerically evaluating a particular type of singular integral coupled with a complex eigenvalue problem is presented here. This presentation provides the information needed to carry out the numerical calculations found in the cited Murphy report. This technique has proven useful for calculating the moment exerted by a low-viscosity spinning liquid in a coning spheroidal container.					
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#### I. INTRODUCTION

Murphy<sup>1</sup> has studied the moment exerted by a low-viscosity spinning liquid in a coning spheroidal container and presented some computations. The purpose of this report is to elaborate on some of the numerical methods used by Murphy. He indicates the need of further clarification of two numerical problems. The first problem involves the numerical evaluation of integrals that have a singularity in their integrands. The second problem deals with calculating complex zeroes (i.e.,complex eigenvalues) of a complex function.

#### II. NUMERICAL INTEGRATION

The calculations used in Reference 1 basically center around numerically evaluating integrals. These integrals are found in Equations (6.22)-(6.23), (8.6) and (8.9) of his report and are repeated here for convenience:

$$(U_{km}(s_{km}))_i + Re^{-1/2}a_{km} = 0 (6.22)$$

where

$$(U_{km})_{i} = \frac{2if^{\sigma}}{D\rho_{o}^{\sigma}(1 - \rho_{o}^{2})^{|m|/2}} \left[ mP_{k}^{|m|}(\rho_{o}) - \frac{(1 - \rho_{o}^{2})}{f(1 - e\rho_{o}^{2})^{1/2}} \frac{d}{d\rho} \left( P_{k}^{|m|}(\rho) \right)_{\rho_{o}} \right]$$

$$D = 4(1 - b^{2})$$

$$b = (m + is_{km})/2$$

$$\rho_{o} = bf(1 + b^{2}(f^{2} - 1))^{-1/2}$$

$$e = 1 - f^{-2}$$

$$a_{km} = \frac{c_{kkm}}{b_{kkm}}$$

$$b_{kkm} = f \int_{-1}^{1} \left( P_{k}^{|m|}(\omega) \right)^{2} (1 - e\omega^{2})^{-1/2} d\omega$$

$$c_{kkm} = \frac{i}{2} \int_{-1}^{1} \frac{mfP_{k}^{|m|}(\omega)}{(1 - \omega^{2})^{1/2}} \left( \frac{A_{km}}{\alpha_{1}} + \frac{B_{km}}{\beta_{1}} \right)$$

$$+ (1 - \omega^{2})^{1/2} \left( \frac{A_{km}}{\alpha_{1}} - \frac{B_{km}}{\beta_{1}} \right) \frac{d}{d\omega} \left( \frac{P_{k}^{|m|}(\omega)}{(1 - e\omega^{2})^{1/2}} \right) d\omega \qquad (6.23)$$

$$(x/a)^{2} = (f\rho/\rho_{o})^{2}\omega^{2}$$

$$(r/a)^{2} = \left[ \frac{1 - \rho^{2}}{1 - \rho^{2}_{o}} \right] (1 - \omega^{2})$$

<sup>&</sup>lt;sup>1</sup> Μ. πράγ, C. H., "Moment Exerted on a Coning Projectile by a Spinning Liquid in a Spheroidal Cavity," U.S. Army Ballistic Research Laboratory. Aberdeen Proving Ground, Maryland, Technical Report BRL-TR-2775, Pecember 1986.

$$\tau C_{LM_p} = \frac{i}{5} (f^2 - 1)(9d_2 - 1) 
+ \frac{i(f^2 - 1)}{4f\hat{K}} \int_{-1}^{1} Re^{-1/2} \left( \frac{A_0}{\alpha_1} + \frac{B_0}{\beta_1} \right) \left( \frac{1 - \omega^2}{1 - e\omega^2} \right)^{1/2} P_2^1(\omega) d\omega$$
(8.6)

$$\tau C_{LM_v} = \frac{3}{8Re^{1/2}f\hat{K}} \int_{-1}^{1} \left[ \omega(\alpha_1 A_0 + \beta_1 B_0) + \frac{\alpha_1 A_0 - \beta_1 B_0}{f(1 - e\omega^2)^{1/2}} \right] d\omega$$
 (8.9)

```
Re
                                = Reynolds number
                                = \{(4,0), (2,1), (4,1), (6,1)\}\
(k,m)
\hat{K}
                                = sine of the coning angle
                                = 0 if k - |m| is even
                                = 1 \text{ if } k - |m| \text{ is odd}
                                =\sqrt{-1}
                                = associated Legendre function
                                = fineness ratio = \frac{height/2}{maximum\ radius}
= ratio of coning rate to spin rate <sup>1</sup>
                                =(\varepsilon+i)\tau
                                = [-2i(b+C_{10})]^{1/2}
\alpha_1
                                = [-2i(b - C_{10})]^{1/2}
= f^{-1}[1 - e\omega^2]^{-1/2}\omega
\beta_1
C_{10}
A_{km}, B_{km},
                                = functions of \omega and s_{km}^{-1}
= (\frac{axial\ displacement}{maximum\ radius}), (\frac{radial\ displacement}{maximum\ radius})
A_0, B_0
(x/a),(r/a)
                                = non-dimensional side moment coefficients
C_{LM_{p,v}}
d_2
```

Equation (6.22) represents the normal velocity boundary condition that must be satisfied at the wall of the container for non-forced motion.  $(U_{km})_i$  is the (k,m)th mode of the normal inviscid velocity for k=2,4,6 and m=0,1. The variable  $a_{km}$  is obtained by expanding the normal wall boundary layer correction in the least squares formulation given by the terms  $c_{kkm}$  and  $b_{kkm}$ . Expression (8.6) gives the non-dimensional side moment due to the inviscid pressure plus the boundary layer correction to this pressure resulting from the velocity boundary layer at the wall. The boundary layer also introduces a further correction to the liquid side moment found from the viscous diffusion terms. This correction is given by Equation (8.9). The definitions as well as the interpretation of the remaining variables in the above equations can be found in Murphy's report and the List of Symbols at the end of this report. The corresponding integrations are carried out over the range of [-1,1]. By inspection it is revealed that each integrand is an even function of  $\omega$ . Hence each integration is equal to twice that integration over the interval [0,1]. For constant-amplitude motion,  $\varepsilon_{km}=0$ , Murphy points out that the integrands in Equations (6.23) and (8.6) have a singularity at  $\omega=\pm\omega_c$ , where

$$\omega_c = f \mid m - \tau \mid [4 + f^2(m - \tau)^2 e]^{-1/2}$$

$$m = 0, 1$$
(2.1)

After some straightforward algebra it can be shown that each integral in Equations (6.23) and (8.6) can be written in the form:

$$I = i(-1)^{(1-|m|)} \int_0^{\omega_c} \frac{F(\omega, \alpha_1, \beta_1) d\omega}{\sqrt{\omega_c - \omega}} + \int_{\omega_c}^1 \frac{F(\omega, i^{(1-|m|)}\alpha_1, i^{|m|}\beta_1) d\omega}{\sqrt{\omega - \omega_c}}$$
(2.2)

where  $F(\omega, \alpha_1, \beta_1)$  is an analytic function on [0, 1]. Equation (2.2) shows explicitly the type of singularity found in the corresponding integrands. Identify the first integral in Equation (2.2) by I1 and second by I2. Using the substitution  $t^2 = \omega_c - \omega$  in I1 and  $t^2 = \omega - \omega_c$  in I2 allows the integral I to be written as:

$$I = 2i(-1)^{(1-|m|)} \int_0^{\sqrt{\omega_c}} G(t, \cdots) dt + 2 \int_0^{\sqrt{1-\omega_c}} G(t, \cdots) dt$$
 (2.3)

The integrals shown in Equation (2.3) are no longer singular. These integrals along with the integral given in Equation (8.9) can now be integrated by standard numerical quadratures. The particular numerical quadrature that was used for Reference 1 is an iterative Simpson's rule with adaptive gridding. This is a variation of a technique given by Sampine and Allen' where the real integrand is replaced by a complex integrand.

#### III. ROOT FINDER

The results given in TABLE 3 of Reference 1 can now be found by using a numerical root-finding technique on Equation (6.22). For completeness TABLE 3 is reproduced on page 4.

The procedures described above allow the values of this analytic complex function to be calculated. The eigenvalues (Murphy's  $s_{km}$ ) were readily found by applying a Muller<sup>3</sup> algorithm to Equation (6.22). Its main advantage is that it requires functional values only, not derivatives. Experience has shown that with reasonable initial guesses for  $s_{mk}$ , the Muller algorithm obtains the desired roots with only a few iterations.

#### IV. DISCUSSION

The procedures presented in this report show one method of eliminating the singular point in the required integrals. These integrals as well as the eigenvalues can then be evaluated using standard methods found in text books on numerical analysis. The numerical methods presented here were found to work successfully when applied to the Murphy integration and the eigenvalue problems. All of the remaining calculated results found in

<sup>&</sup>lt;sup>2</sup> Sampine and Allen, 1973, Numerical Computing: An Introduction, W.B. Saunders Company.

<sup>3</sup> Muller, H., 1956: A Method for Solving Algebraic Equations Using an Automatic Computer. Math. Comput. 10,208-215.

Table 1: Comparison of Eigenvalues with Greenspan/Kudlick (TABLE 3. of ref. 1)

	-	$ au_{km}$	$Re^{1/2}\varepsilon_{km}$		$Re^{1/2}\varepsilon_{km}$
(k,m)	f	Re=10 <sup>4</sup>	Re=10 <sup>4</sup>	Re=10 <sup>8</sup>	Greenspan Kudlick
4,0	1	1.3054	2.30	2.59	2.59
,	2	.7964	2.81	3.09	3.33
	4	.4252	3.29	3.64	4.52
2,1	1	0026	1046.	1014.	1011
	2	.6037	-2.91	-2.82	<del>-</del>
	4	.8847	-1.31	-1.25	_
4,1*	1	7130	4.16	3.73	3.70
	2	2110	12.91	11.94	11.81
	4	.3828	-4.86	-4.64	-5.22

<sup>\*</sup>Two other eigenvalues exist for this case. For f=1,the other  $\tau_{41}$ 's are .3878 and 1.8203

Reference 1 can be obtained by a direct application of the formulas given there. Since this procedure is straight-forward, no further discussion will be presented here.

#### REFERENCES

- 1. Murphy, C.H., "Moment Exerted on a Coning Projectile by a Spinning Liquid in a Spheroidal Cavity," U.S. Army Ballistic Research Laboratory, Aberdeen Proving Ground, Maryland, Technical Report BRL-TR-2775, December 1986.
- 2. Sampine and Allen, 1973, <u>Numerical Computing: An Introduction</u>, W.B. Saunders Company.
- 3. Muller, H., 1956: A Method for Solving Algebraic Equations Using an Automatic Computer. Math. Comput. 10, 208-215.

#### List of Symbols

```
coefficient in Eq. (6.22)
a_{km}
             functions of \omega and s in Eq. (6.23)
A_{km}B_{km}
             (m+is)/2
             denominator and numerator of a_{km}
b_{kkm}, c_{kkm}
C_{10}
             factor in Eqs. (8.6) and (8.9)
             complex coefficient of the transverse liquid moment
C_{LM_{p,v}}
d_2
             coefficient in the expression (8.6)
             1 - f^{-2}
e
F,G
             integrands in integrals I,I1 and I2
f
             fineness ratio
I,I1,I2
             integrals in Eqs. (2.2)-(2.3)
\hat{K}
             sine of the coning angle
k
             axial wave number
             azimuthal wave number
m
P_k^{|m|}
             associated Legendre function of the first kind
Re
             Reynolds number
s
             (\varepsilon + i)\tau
             eigenvalue of s
s_{km}
             integration variable
(U_{km})_i
             factor in Eq. (6.22)
             functions of \omega Eqs.(8.6),(8.9)
\alpha_1, \beta_1
             non-dimensionalized damping
\epsilon
             0 if k-|m| is even; 1 if k-|m| is odd
             non-dimensionalized coning frequency
             eigenfrequency
\tau_{km}
             latitude at which a_1 = 0(\omega = \omega_c) or \beta_1 = 0(\omega = -\omega_c)
\omega_c
()_{i}
             inviscid quantity
```

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